

Solutions to problems involving combined functions can sometimes lead to a range of acceptable answers. When this happens, techniques for solving inequalities are applied.

There are a number of ways to graphically illustrate an inequality involving a combined function.

Algebraic and graphical representations of inequalities can be useful for solving problems involving combined functions.

**Example 1**

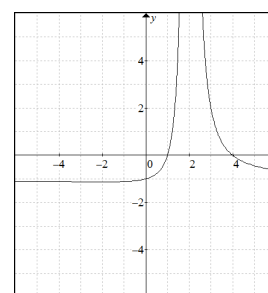
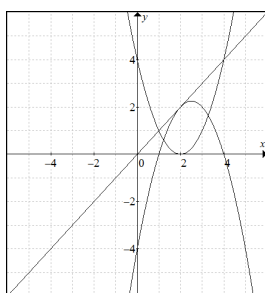
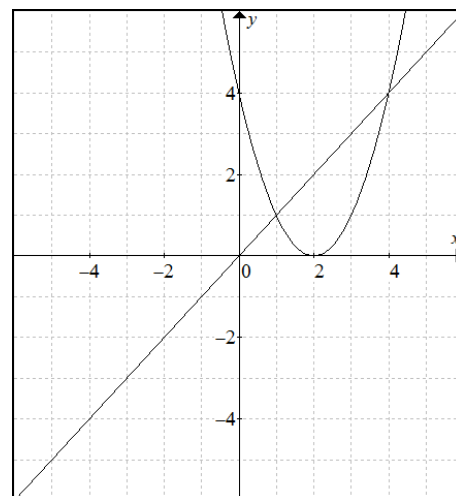
Let  $f(x) = x$  and  $g(x) = (x - 2)^2$

a) Given the functions on the same set of axes. Identify the points of intersection.

b) Illustrate the regions for which

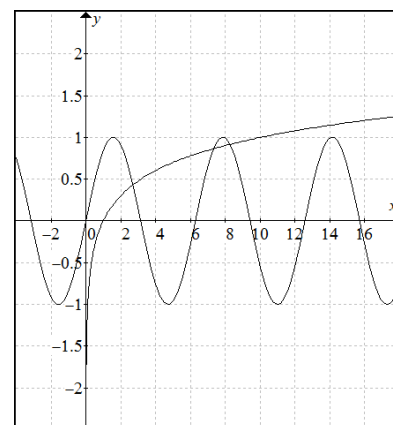
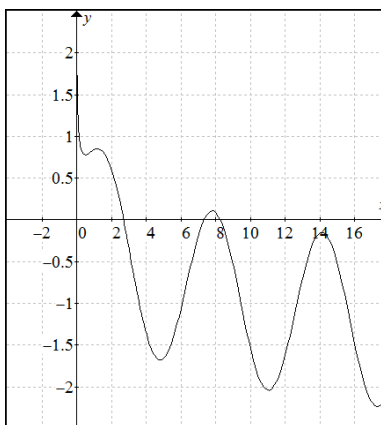
i)  $f(x) > g(x)$

ii)  $g(x) > f(x)$



**Example 2**

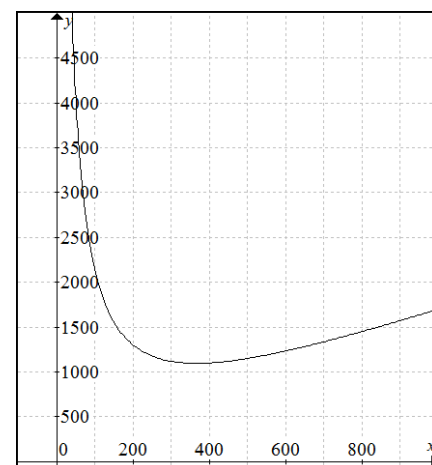
Solve  $\sin x - \log x > 0$



**Example 3**

A computer store's cost,  $C$ , for shipping and storing  $n$  computers can be modeled by the function  $c(n) = 1.5n + \frac{200000}{n}$ . The storage capacity of the store's warehouse is 750 units. Given the graph of the combined function,

- Explain the shape and determine the domain for this problem.
- Determine the minimum and maximum number of computers that can be ordered at any time to keep costs below \$1500, assuming that inventory has fallen to zero.
- What is the optimum order size that will minimize storage costs?



**Homework:**  
 P. 457 #1-4, 7, 10-12, 16